

## Glossary

**ADF, method(adf).** ADF stands for asymptotic distribution free and is a method used to obtain fitted parameters. ADF is used by `sem` when option `method(adf)` is specified. Other available methods are ML, QML, and MLMV.

**anchoring, anchor variable.** A variable is said to be the anchor of a latent variable if the path coefficient between the latent variable and the anchor variable is constrained to be 1. The `sem` software uses anchoring as a way of normalizing latent variables and thus identifying the model.

**baseline model.** A baseline model is a covariance model—a model of fitted means and covariances of observed variables without any other paths—with most of the covariances constrained to 0. That is, a baseline model is a model of fitted means and variances but typically not all the covariances. Also see *saturated model*.

**Bentler–Weeks formulation.** The Bentler and Weeks (1980) formulation of SEM places the results in a series of matrices organized around how results are calculated. See [SEM] **estat framework**.

**bootstrap, vce(bootstrap).** The bootstrap is a replication method for obtaining variance estimates. Consider an estimation method  $E$  for estimating  $\theta$ . Let  $\hat{\theta}$  be the result of applying  $E$  to dataset  $D$  containing  $N$  observations. The bootstrap is a way of obtaining variance estimates for  $\hat{\theta}$  from repeated estimates  $\hat{\theta}_1, \hat{\theta}_2, \dots$ , where each  $\hat{\theta}_i$  is the result of applying  $E$  to a dataset of size  $N$  drawn with replacement from  $D$ . See [SEM] **sem option method()** and [R] **bootstrap**.

**CI.** CI is an abbreviation for confidence interval.

**clustered, vce(cluster clustvar).** Clustered is the name we use for the generalized Huber/White/sandwich estimator of the VCE, which is the `robust` technique generalized to relax the assumption that errors are independent across observations to be that they are independent across clusters of observations. Within cluster, errors may be correlated.

Clustered standard errors are reported when `sem` option `vce(cluster clustvar)` is specified. The other available techniques are OIM, EIM, OPG, `robust`, `bootstrap`, and `jackknife`.

**CFA, CFA models.** CFA stands for confirmatory factor analysis. It is a way of analyzing measurement models. CFA models is a synonym for measurement models.

**coefficient of determination.** The coefficient of determination is the fraction (or percentage) of variation (variance) explained by an equation of a model. The coefficient of determination is thus like  $R^2$  in linear regression.

**command language.** Stata's `sem` command provides a way to specify structural equation models. The alternative is to use `sem`'s GUI to draw path diagrams; see [SEM] **intro 2** and [SEM] **GUI**.

**constraints.** See *parameter constraints*.

**correlated uniqueness model.** A correlated uniqueness model is a kind of measurement model in which the errors of the measurements has a structured correlation. See [SEM] **intro 4**.

**curved path.** See *path*.

**degree-of-freedom adjustment.** In estimates of variances and covariances, a finite-population degree-of-freedom adjustment is sometimes applied to make the estimates unbiased.

Let's write an estimated variance as  $\hat{\sigma}_{ii}$  and write the "standard" formula for the variance as  $\hat{\sigma}_{ii} = S_{ii}/N$ . If  $\hat{\sigma}_{ii}$  is the variance of observable variable  $x_i$ , it can readily be proven that  $S_{ii}/N$  is a biased estimate of the variances in samples of size  $N$  and that  $S_{ii}/(N - 1)$  is an unbiased estimate. It is usual to calculate variances using  $S_{ii}/(N - 1)$ , which is to say, the "standard" formula has a multiplicative degree-of-freedom adjustment of  $N/(N - 1)$  applied to it.

If  $\hat{\sigma}_{ii}$  is the variance of estimated parameter  $\beta_i$ , a similar finite-population degree-of-freedom adjustment can sometimes be derived that will make the estimate unbiased. For instance, if  $\beta_i$  is a coefficient from a linear regression, an unbiased estimate of the variance of regression coefficient  $\beta_i$  is  $S_{ii}/(N - p - 1)$ , where  $p$  is the total number of regression coefficients estimated excluding the intercept. In other cases, no such adjustment can be derived. Such estimators have no derivable finite-sample properties and one is left only with the assurances provided by its provable asymptotic properties. In such cases, the variance of coefficient  $\beta_i$  is calculated as  $S_{ii}/N$ , which can be derived on theoretical grounds. SEM is an example of such an estimator.

SEM is a remarkably flexible estimator and can reproduce results that can sometimes be obtained by other estimators. SEM might produce asymptotically equivalent results, or it might produce identical results depending on the estimator. Linear regression is an example in which sem produces identical results. The reported standard errors, however, will not look identical because the linear regression estimates have the finite-population degree-of-freedom adjustment applied to them, and the SEM estimates do not. To see the equivalence, you must undo the adjustment on the reported linear regression standard errors by multiplying them by  $\sqrt{\{(N - p - 1)/N\}}$ .

**direct, indirect, and total effects.** Consider the following system of equations:

$$\begin{aligned}y_1 &= b_{10} + b_{11}y_2 + b_{12}x_1 + b_{13}x_3 + e_1 \\y_2 &= b_{20} + b_{21}y_3 + b_{22}x_1 + b_{23}x_4 + e_2 \\y_3 &= b_{30} + \quad \quad \quad b_{32}x_1 + b_{33}x_5 + e_3\end{aligned}$$

The total effect of  $x_1$  on  $y_1$  is  $b_{12} + b_{11}b_{22} + b_{11}b_{21}b_{32}$ . It measures the full change in  $y_1$  based on allowing  $x_1$  to vary throughout the system.

The direct effect of  $x_1$  on  $y_1$  is  $b_{12}$ . It measures the change in  $y_1$  caused by a change in  $x_1$  holding other endogenous variables—namely,  $y_2$  and  $y_3$ —constant.

The indirect effect of  $x_1$  on  $y_1$  is obtained by subtracting the total and direct effect and is thus  $b_{11}b_{22} + b_{11}b_{21}b_{32}$ .

**EIM, vce(eim).** EIM stands for expected information matrix, defined as the inverse of the negative of the expected value of the matrix of second derivatives, usually of the log-likelihood function. The EIM is an estimate of the VCE. EIM standard errors are reported when sem option vce(eim) is specified. The other available techniques are OIM, OPG, robust, clustered, bootstrap, and jackknife.

**estimation method.** There are a variety of ways that one can solve for the parameters of a structural equation model. Different methods make different assumptions about the data-generation process, and so it is important that you choose a method appropriate for your model and data; see [SEM] intro 3.

**error, error variable.** The error is random disturbance  $e$  in a linear equation:

$$y = b_0 + b_1x_1 + b_2x_2 + \cdots + e$$

An error variable is an unobserved exogenous variable in path diagrams corresponding to  $e$ . Mathematically, error variables are just another example of latent exogenous variables, but in sem, error variables are considered to be in a class by themselves. All endogenous variables—observed and latent—have a corresponding error variable. Error variables automatically and inalterably have their path coefficients fixed to be 1. Error variables have a fixed naming convention in the software. If a variable is the error for (observed or latent) endogenous variable  $y$ , then the residual variable's name is  $e.y$ .

In `sem`, error variables are uncorrelated with each other unless explicitly indicated otherwise. That indication is made in path diagrams by drawing a curved path between the error variables and is indicated in command notation by including `cov(e.name1*e.name2)` among the options specified on the `sem` command.

**endogenous variable.** A variable, observed or latent, is endogenous (determined by the system) if any path points to it. Also see *exogenous variable*.

**exogenous variable.** A variable, observed or latent, is exogenous (determined outside the system) if paths only originate from it, or equivalently, no path points to it. Also see *endogenous variable*.

**fictional data.** Fictional data are data that have no basis in reality even though they might look real; they are data that are made up for use in examples.

**first- and second-order latent variables.** If a latent variable is measured by other latent variables only, the latent variable that does the measuring are called first-order latent variable, and the latent variable being measured is called the second-order latent variable.

**GMM, generalized method of moments.** GMM is a method used to obtain fitted parameters. In this documentation, GMM is referred to as ADF, which stands for asymptotic distribution free. Other available methods are ML, QML, ADF, and MLMV.

The SEM moment conditions are cast in terms of second moments, not the first moments used in many other applications associated with GMM.

**goodness-of-fit statistic.** A goodness-of-fit statistic is a value designed to measure how well the model reproduces some aspect of the data the model is intended to fit. SEM reproduces the first- and second-order moments of the data, with an emphasis on the second-order moments, and thus goodness-of-fit statistics appropriate for use after `sem` compare the predicted covariance matrix (and mean vector) with the matrix (and vector) observed in the data.

**GUI.** GUI stands for graphical user interface and in this manual stands for the component of the software that allows you to specify models by entering path diagrams. The alternative way to enter your model is by using `sem`'s command language. See [SEM] **intro 2** and [SEM] **GUI**.

**identification.** Identification refers to the conceptual constraints on parameters of a model that are required for the model's remaining parameters to have a unique solution. A model is said to be unidentified if these constraints are not supplied. These constraints are of two types: substantive constraints and normalization constraints.

Normalization constraints deal with the problem that one scale works as well as another for each latent variable in the model. One can think, for instance, of propensity to write software as being measured on a scale of 0 to 1, 1 to 100, or any other scale. The normalization constraints are the constraints necessary to choose one particular scale. The normalization constraints are provided automatically by the `sem` software by anchoring using unit loadings.

Substantive constraints are the constraints you specify about your model so that it has substantive content. Usually, these constraints are zero constraints implied by the paths omitted, but they can include explicit parameter constraints as well. It is easy to write a model that is not identified for substantive reasons; See [SEM] **intro 3**.

**indicator variables, indicators.** Synonym for *measurement variables*.

**indirect effects.** See *direct, indirect, and total effects*.

**initial values.** See *starting values*.

**intercept.** An intercept for the equation of endogenous variable  $y$ , observed or latent, is the path coefficient from `_cons` to  $y$ . `_cons` is Stata-speak for the built-in variable containing 1 in all observations. In SEM-speak, `_cons` is an observed exogenous variable.

**jackknife, `vce(jackknife)`.** The jackknife is a replication method for obtaining variance estimates. Consider an estimation method  $E$  for estimating  $\theta$ . Let  $\hat{\theta}$  be the result of applying  $E$  to dataset  $D$  containing  $N$  observations. The jackknife is a way of obtaining variance estimates for  $\hat{\theta}$  from repeated estimates  $\hat{\theta}_1, \hat{\theta}_2, \dots, \hat{\theta}_N$ , where each  $\hat{\theta}_i$  is the result of applying  $E$  to  $D$  with observation  $i$  removed. See [SEM] **sem option method()** and [R] **jackknife**.

**Lagrange multiplier tests.** Synonym for *score tests*.

**linear regression.** Linear regression is a kind of structural equation model in which there is a single equation and all values are observed. See [SEM] **intro 4**.

**latent growth model.** A latent growth model is a kind of measurement model in which the observed values are collected over time and are allowed to follow a trend. See [SEM] **intro 4**.

**latent variable.** A variable is latent if it is not observed. A variable is latent if it is not in your dataset but you wish it were. You wish you had a variable recording the propensity to commit violent crime, or socioeconomic status, or happiness, or true ability, or even income accurately recorded. Latent variables are sometimes described as imagined variables.

In the software, latent variables are usually indicated by having at least their first letter capitalized.

Also see *observed variables* and see *first- and second-order latent variables*.

**manifest variables.** Synonym for *observed variables*.

**measure, measurement, x a measurement of X, x measures X.** See *measurement variables*.

**measurement models, measurement component.** A measurement model is a particular kind of model that deals with the problem of translating observed values to values suitable for modeling. Measurement models are often combined with structural models and then the measurement model part is referred to as the measurement component. See [SEM] **intro 4**.

**measurement variables, measure, measurement, x a measurement of X, x measures X.** Observed variable  $x$  is a measurement of latent variable  $X$  if there is a path connecting  $x \leftarrow X$ . Measurement variables are modeled by measurement models. Measurement variables are also called indicator variables.

**method.** Method is just an English word and should be read in context. Nonetheless, method is used here usually to refer to the method used to solve for the fitted parameters of a structural equation model. Those methods are ML, QML, MLMV, and ADF. Also see *technique*.

**MIMIC.** MIMIC stands for multiple indicators and multiple causes. It is a kind of structural model in which observed causes determine a latent variable, which in turn determines multiple indicators. See [SEM] **intro 4**.

**ML, `method(ml)`.** ML stands for maximum likelihood. It is a method to obtain fitted parameters. ML is the default method used by `sem`. Other available methods are QML, MLMV, and ADF.

**MLMV, `method(mlmv)`.** MLMV stands for maximum likelihood with missing values. It is an ML method used to obtain fitted parameters in the presence of missing values. MLMV is the method used by `sem` when the `method(mlmv)` option is specified. Other available methods are ML, QML, and ADF. Those methods omit from the calculation observations that contain missing values.

**modification indices.** Modification indices are score tests for adding paths where none appear. The paths can be for either coefficients or covariances.

**moments (of a distribution).** The moments of a distribution are the expected values of powers of a random variable or centralized (demeaned) powers of a random variable. The first moments are the expected or observed means, and the second moments are the expected or observed variances and covariances.

**multiple correlation.** The multiple correlation is the correlation between endogenous variable  $y$  and its linear prediction.

**multivariate regression.** Multivariate regression is a kind of structural model in which each member of a set of observed endogenous variables is a function of the same set of observed exogenous variables and a unique random disturbance term. The disturbances are correlated. Multivariate regression is a special case of *seemingly unrelated regression*.

**nonrecursive (structural) model (system), recursive (structural) model (system).** A structural model (system) is said to be nonrecursive if there are paths in both directions between one or more pairs of endogenous variables. A system is recursive if it is a system—it has endogenous variables that appear with paths from them—and it is not nonrecursive.

A nonrecursive model may be unstable. Consider, for instance,

$$\begin{aligned}y_1 &= 2y_2 + 1x_1 + e_1 \\y_2 &= 3y_1 - 2x_2 + e_2\end{aligned}$$

This model is unstable. To see this, without loss of generality, treat  $x_1 + e_1$  and  $2x_2 + e_2$  as if they were both 0. Consider  $y_1 = 1$  and  $y_2 = 1$ . Those values result in new values  $y_1 = 2$  and  $y_2 = 3$ , and those result in new values  $y_1 = 6$  and  $y_2 = 6$ , and those result in new values, . . . Continue in this manner, and you reach infinity for both endogenous variables. In the jargon of the mathematics used to check for this property, the eigenvalues of the coefficient matrix lie outside the unit circle.

On the other hand, consider these values:

$$\begin{aligned}y_1 &= 0.5y_2 + 1x_1 + e_1 \\y_2 &= 1.0y_1 - 2x_2 + e_2\end{aligned}$$

These results are stable in that the resulting values converge to  $y_1 = 0$  and  $y_2 = 0$ . In the jargon of the mathematics used to check for this property, the eigenvalues of the coefficients matrix lie inside the unit circle.

Finally, consider the values

$$\begin{aligned}y_1 &= 0.5y_2 + 1x_1 + e_1 \\y_2 &= 2.0y_1 - 2x_2 + e_2\end{aligned}$$

Start with  $y_1 = 1$  and  $y_2 = 1$  and that yields new values  $y_1 = 0.5$  and  $y_2 = 2$  and that yields new values  $y_1 = 1$  and  $y_2 = 1$ , and that yields  $y_1 = 0.5$  and  $y_2 = 2$ , and it will oscillate forever. In the jargon of the mathematics used to check for this property, the eigenvalues of the coefficients matrix lie on the unit circle. These coefficients are also considered to be unstable.

**normalization constraints.** See *identification*.

**normalized residuals.** See *standardized residuals*.

**observed variables.** A variable is observed if it is a variable in your dataset. In this documentation, we often refer to observed variables using  $x_1, x_2, \dots, y_1, y_2$ , and so on, but in reality observed variables have names such as *mpg, weight, testscore*, etc.

In the software, observed variables are usually indicated by having names that are all lowercase.

Also see *latent variable*.

**OIM, `vce(oim)`.** OIM stands for observed information matrix, defined as the inverse of the negative of the matrix of second derivatives, usually of the log likelihood function. The OIM is an estimate of the VCE. OIM is the default VCE that `sem` reports. The other available techniques are EIM, OPG, robust, clustered, bootstrap, and jackknife.

**OPG, `vce(opg)`.** OPG stands for outer product of the gradients, defined as the cross product of the observation-level first derivatives, usually of the log likelihood function. The OPG is an estimate of the VCE. The other available techniques are OIM, EIM, robust, clustered, bootstrap, and jackknife.

**p-value.** *P*-value is another term for the reported significance level associated with a test. Small *p*-values indicate rejection of the null hypothesis.

**parameter constraints.** Parameter constraints are restrictions placed on the parameters of the model. These constraints are typically in the form of zero constraints and equality constraints. A zero constraint is implied, for instance, when no path is drawn connecting *x* with *y*. An equality constraint is specified when one forces one path coefficient to be equal to another, or one covariance to be equal to another.

Also see *identification*.

**parameters.** The parameters are the to-be-estimated coefficients of a model. These include all path coefficients, means, variances, and covariances. In mathematical notation, the theoretical parameters are often written as  $\theta = (\alpha, \beta, \mu, \Sigma)$ , where  $\alpha$  is the vector of intercepts,  $\beta$  is the vector of path coefficients,  $\mu$  is the vector of means, and  $\Sigma$  is the matrix of variances and covariances. The resulting parameters estimates are written as  $\hat{\theta}$ .

**path.** A path, typically shown as an arrow drawn from one variable to another, states that the first variable determines the second variable, at least partially. If  $x \rightarrow y$ , or equivalently  $y \leftarrow x$ , then  $y_j = \alpha + \dots + \beta x_j + \dots + e.y_j$ , where  $\beta$  is said to be the  $x \rightarrow y$  path coefficient. The ellipses are included to account for paths to *y* from other variables.  $\alpha$  is said to be the intercept and is automatically added when the first path to *y* is specified.

A curved path is a curved line connecting two variables, and it specifies that the two variables are allowed to be correlated. If there is no curved path between variables, the variables are usually assumed to be uncorrelated. We say usually because correlation is assumed among observed exogenous variables and, in the command language, assumed among latent exogenous variables, and if some of the correlations are not desired, they must be suppressed. Many authors refer to covariances rather than correlations. Strictly speaking, the curved path denotes a nonzero covariance. A correlation is often called a standardized covariance.

A curved path can connect a variable to itself and in that case, indicates a variance. In path diagrams in this manual, we typically do not show such variance paths even though variances are assumed.

**path coefficient.** The path coefficient is associated with a path; see *path*. Also see *intercept*.

**path diagram.** A path diagram is a graphical representation that shows the relationships among a set of variables using *paths*. See [SEM] **intro 2** for a description of path diagrams.

**path notation.** Path notation is a syntax defined by the authors of Stata's `sem` command for entering path diagrams in a command language. Models to be fit may be specified in path notation or they may be drawn using path diagrams into `sem`'s GUI.

**QML, method(ml) vce(robust).** QML stands for quasimaximum likelihood. It is a method used to obtain fitted parameters, and a technique used to obtain the corresponding VCE. QML is used by `sem` when options `method(ml)` and `vce(robust)` are specified. Other available methods are ML, MLMV, and ADF. Other available techniques are OIM, EIM, OPG, clustered, bootstrap, and jackknife.

**regression.** A regression is a model in which an endogenous variable is written as a function of other variables, parameters to be estimated, and a random disturbance.

**reliability.** Reliability is the proportion of the variance of a variable not due to measurement error. A variable without measure error has reliability 1.

**residual.** In this manual, we reserve the word residual for the difference between the observed and fitted moments of an SEM model. We use the word error for the disturbance associated with a linear equation; see *error*. Also see *standardized residuals*.

**robust, vce(robust).** Robust is the name we use here for the Huber/White/sandwich estimator of the VCE. This technique requires fewer assumptions than most other techniques. In particular, it merely assumes that the errors are independently distributed across observations and thus allows the errors to be heteroskedastic. Robust standard errors are reported when the `sem` option `vce(robust)` is specified. The other available techniques are OIM, EIM, OPG, clustered, bootstrap, and jackknife.

**saturated model.** A saturated model is a full covariance model—a model of fitted means and covariances of observed variables without any restrictions on the values. Also see *baseline model*.

**score tests, Lagrange multiplier tests.** A score test is a test based on first derivatives of a likelihood function. Score tests are especially convenient for testing whether constraints on parameters should be relaxed or parameters should be added to a model. Also see *Wald tests*.

**scores.** Scores has two unrelated meanings. First, scores are the observation-by-observation first-derivatives of the (quasi) log-likelihood function. When we use the word scores, this is what we mean. Second, in the factor-analysis literature, scores (usually in the context of factor scores) refers to the expected value of a latent variable conditional on all the observed variables. We refer to this simply as the predicted value of the latent variable.

**second-order latent variable.** See *first- and second-order latent variables*.

**seemingly unrelated regression.** Seemingly unrelated regression is a kind of structural model in which each member of a set of observed endogenous variables is a function of a set of observed exogenous variables and a unique random disturbance term. The disturbances are correlated and the sets of exogenous variables may overlap. If the sets of exogenous variables are identical, this is referred to as multivariate regression.

**SEM.** SEM stands for structural equation modeling and for structural equation model. We use SEM in capital letters when writing about theoretical or conceptual issues as opposed to issues of the particular implementation of SEM in Stata with the `sem` command.

**sem.** `sem` is the Stata command that fits structural equation models.

**SSD, ssd.** SSD stands for summary statistics data. Data are sometimes available only in summary statistics form, as (1) means and covariances, (2) means, standard deviations or variances, and correlations, (3) covariances, (4) standard deviations or variances and correlations, or (5) correlations. SEM can be used to fit models using such data in place of the underlying raw data. The `ssd` command creates datasets containing summary statistics.

**standardized coefficient.** In a linear equation  $y = \dots bx + \dots$ , the standardized coefficient  $\beta$  is  $(\hat{\sigma}_y/\hat{\sigma}_x)b$ . Standardized coefficients are scaled to units of standard-deviation change in  $y$  for a standard-deviation change in  $x$ .

**standardized covariance.** A standardized covariance between  $y$  and  $x$  is equal to the correlation of  $y$  and  $x$ , which is to say, it is equal to  $\sigma_{xy}/\sigma_x\sigma_y$ . The covariance is equal to the correlation when variables are standardized to have variance 1.

**standardized residuals, normalized residuals.** Standardized residuals are residuals adjusted so that they follow a standard normal distribution. The difficulty is that the adjustment is not always possible. Normalized residuals are residuals adjusted according to a different formula that roughly follow a standard normal distribution. Normalized residuals can always be calculated.

**starting values.** The estimation methods provided by `sem` are iterative. The starting values are values for each of the parameters to be estimated that are used to initialize the estimation process. The `sem` software provides starting values automatically, but in some cases, these are not good enough and you must (1) diagnose the problem and (2) provide better starting values. See [SEM] **intro 3** and see *How to solve convergence problems* in [SEM] `sem`.

**structural equation model.** Different authors use the term structural equation model in different ways, but all would agree that a structural equation model sometimes carries the connotation of being a structural model with a measurement component, which is to say, combined with a measurement model.

**structural model.** A structural model is a model in which the parameters are not merely a description but believed to be of a causal nature. Obviously, SEM can fit structural models and thus so can `sem`. Neither SEM nor `sem` are limited to fitting structural models, however.

Structural models often have multiple equations and dependencies between endogenous variables, although that is not a requirement.

See [SEM] **intro 4**. Also see *structural equation model*.

**structured (correlation or covariance).** See *unstructured and structured (correlation or covariance)*.

**substantive constraints.** See *identification*.

**summary statistics data.** See SSD.

**technique.** Technique is just an English word and should be read in context. Nonetheless, technique is usually used here to refer to the technique used to calculate the estimated VCE. Those techniques are OIM, EIM, OPG, robust, clustered, bootstrap, and jackknife.

Technique is also used to refer to the available techniques used with `m1`, Stata's optimizer and likelihood maximizer, to find the solution.

**total effects.** See *direct, indirect, and total effects*.

**unstandardized coefficient.** A coefficient that is not standardized. If  $\text{mpg} = -0.006 \times \text{weight} + 39.44028$ , then  $-0.006$  is an unstandardized coefficient and, as a matter of fact, is measured in mpg-per-pound units.

**unstructured and structured (correlation or covariance).** A set of variables, typically error variables, is said to have an unstructured correlation or covariance if the covariance matrix has no particular pattern imposed by theory. If a pattern is imposed, the correlation or covariance is said to be structured.

**VCE, variance-covariance matrix (of the estimator).** The estimator is the formula used to solve for the fitted parameters, sometimes called the fitted coefficients. The VCE is the estimated variance-covariance matrix of the parameters. The diagonal elements of the VCE are the variances of the parameters or equivalent, the square root of those elements are the reported standard errors of the parameters.

**Wald tests.** A Wald test is a statistical test based on the estimated variance–covariance matrix of the parameters. Wald tests are especially convenient for testing possible constraints to be placed on the estimated parameters of a model. Also see *score tests*.

**WLS, weighted least squares.** Weighted least squares is a method used to obtain fitted parameters. In this documentation, WLS is referred to as ADF, which stands for asymptotic distribution free. Other available methods are ML, QML, and MLMV. ADF is, in fact, a specific kind of the more generic WLS.